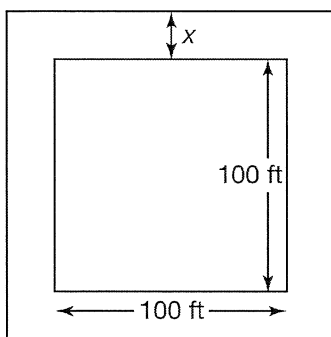


LESSON 11.7 Assignment

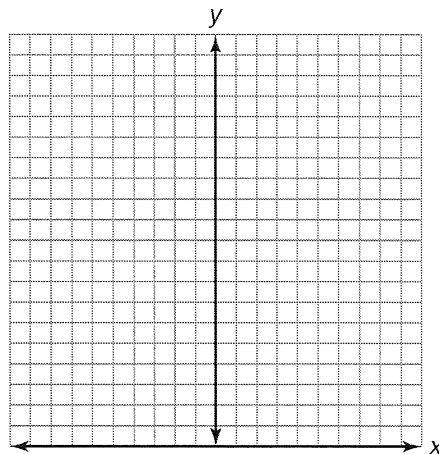
Name _____ Date _____

More Than Meets the Eye
Transformations of Quadratic Functions

- The owners of a botanical park would like to create a walkway around one of their premier gardens. The garden is 100 feet long and 100 feet wide. The drawing below shows the layout of the garden and walkway.

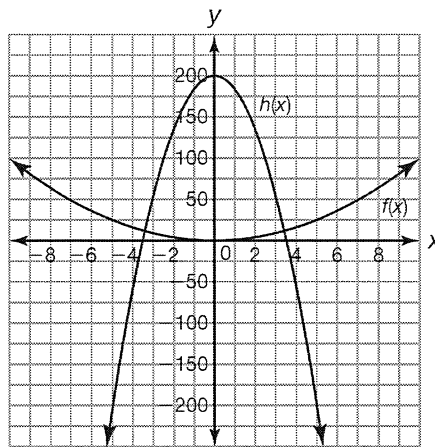


- Determine the function, $A(x)$, that represents the total area of the garden and walkway. Let x represent the width of the walkway. Then, write the quadratic function in vertex form.
- Graph the function with the bounds $[-80, 80] \times [-10, 1000]$, with an X-scale of 10 and a Y-scale of 100. Sketch the graph on the coordinate plane provided. Also sketch the graph of the basic function $f(x) = x^2$ on the same coordinate plane. Label the graphs.

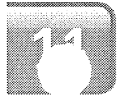


- c. Describe how the graph of $A(x)$ compares to the graph of $f(x)$ and define the types of transformations the changes represent.

2. A physics class has been assigned the task of creating a container that will protect an egg that their teacher will drop from the roof of their school. The graph below shows the basic function $f(x) = x^2$, and also shows the function $h(x)$ which represents the height of the egg with respect to x , the time it is in the air.



- a. Describe the types of transformations performed on $f(x)$ to result in $h(x)$.
- b. If the dilation factor is 16, write the function $h(x)$ that represents the height of the egg.



Name _____ Date _____

3. A company's revenues are dependent on the amount of product they sell, x . Use the given characteristics to write a function $R(x)$ in vertex form, which represents the company's revenue with respect to x . Then, sketch the graph of $R(x)$ and the basic function $f(x) = x^2$ on the grid.

- The function is quadratic.
- The function is continuous.
- The function has an absolute maximum.
- The function is translated 70 units up and 100 units to the right from $f(x) = -\frac{1}{5}x^2$.
- The function is vertically stretched with a dilation factor of $\frac{1}{5}$.

Equation: $R(x) =$

